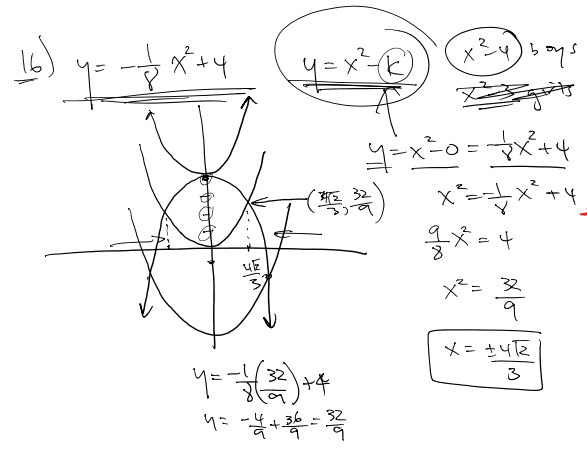
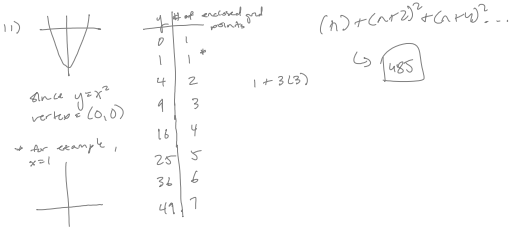


By Jennifer Wu

8) $y = a(x+r)(x-4)$ $y = -2(x+r)(x-4)$ $w = -2(3-\frac{3}{2})^2 + 12.5$
 $8 = a(1)(-4)$ $= -2(x^2-3x-4)$ $w = 8$
 $a = -2$ $= -2(x-\frac{3}{2})^2 + 12.5$

9) $a(x+\frac{b}{2a})^2 + c - \frac{b^2}{4a}$ $\frac{-b}{2a} + 2a - \frac{a}{2a}$ $r = -\frac{2}{4a} \rightarrow r = -\frac{(b+4a)^2}{4a} = c - \frac{b^2}{4a}$
 $\frac{mn}{2} = -\frac{b}{2a}$ $\frac{mn+p}{2} = -\frac{a}{2p}$ $1: b+4a$ $r = 4a + 2b + c$
 $q+r = 8a + 3b + c$

10) $x^2 - bx + k = (x+12)(x-r)$
 $-63x + k = -(r+12)x + 12r$
 $63 = R+r$ $R+r = \text{roots}$
 all primes are odd
 odd # - odd # = even #
 R or r must be even
 2 = only even prime



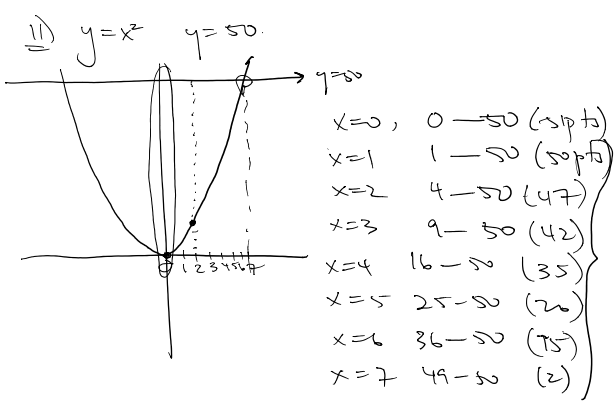
ALTERNATE SOLUTION

① $y = -\frac{1}{8}x^2 + 4$
 Find the x-intercepts
 $0 = -\frac{1}{8}x^2 + 4$ $\rightarrow x = \pm 4\sqrt{2}$
 ANY INTERSECTION TO THE RIGHT OF $4\sqrt{2}$ OR LEFT OF $-4\sqrt{2}$ WILL BE UNDER THE X-AXIS.

② $y = -\frac{x^2}{8} + 4$ $y = x^2 - k$
 Find the intersection in terms of "k"
 $32 = x^2$
 $\pm 4\sqrt{2} = x$

② So RANGE OF VALUES FOR "k" IS FROM $-4 \rightarrow 31$.

as THERE ARE 31 VALUES FOR k
 $3(-(-4)) + 1 = 31$



$-\frac{x^2}{8} + 4 = x^2 - k$
 $k = \frac{9x^2}{8} - 4$ $[x = 4\sqrt{2}]$

$k = \frac{9(32)}{8} - 4 = 32 - 4 = 28$
 $k < 32$ \leftarrow THE GREATEST VALUE FOR "k" IS 31
 B/C AT $4\sqrt{2}$ THE INTERSECTION IS ON THE X-AXIS

Total = $2(0 + 47 + 42 + 35 + 26 + 16 + 7) + 51 = 485$

19) $x^2 - 4x - c - \sqrt{8x^2 - 32x - 8c} = 0$

① $k - \sqrt{8k} = 0$
 $k = \sqrt{8k}$
 $k^2 = 8k$
 $k = 8$

② $x^2 - 4x - c = 8$
 $x^2 - 4x - c - 8 = 0$
 $a=1$ $b=-4$ $c=-c-8$
 $16 - 4(-c-8) > 0$
 $16 - 4(-c-8) > 0$

$$K = \sqrt{8K}$$

$$K^2 = 8K$$

$$K^2 - 8K = 0$$

$$K(K-8) = 0$$

\downarrow \downarrow
 $K=0$ $K=8$

$a=1 \quad b=-4 \quad c=-c$	$x^2 - 4x - c - 8 = 0$	
$16 - 4(-c) > 0$	$a=1 \quad b=-4 \quad c=-c-8$	
$16 + 4c > 0$	$16 - 4(-c-8) > 0$	
$4c > -16$	$16 + 4c + 32 > 0$	
$\boxed{c > -4}$	$4c > -48$	
	$\boxed{c > -12}$	

